

▶ Über den Umgang mit Streams

Java Forum Stuttgart

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```
<T> boolean allMatch(Predicate<T> p) {  
    boolean result = true;  
    for (T element : this) { // Iterable<T>  
        result &= p.test(element);  
    }  
    return result;  
}
```

```
<T> boolean allMatch(Predicate<T> p) {  
    for (T element : this) {  
        if (!p.test(element)) {  
            return false;  
        }  
    }  
    return true;  
}
```

```
... allMatch(new Predicate<Person>() {  
    boolean test(Person p) {  
        return p.isEmployed(now);  
    }  
}) ...
```

```
... allMatch(new Predicate<Person>(){  
-   boolean test(Person p) -> {  
       return p.isEmployed(now);  
   }  
}) ...
```

```
... allMatch((Person p) -> {  
    return p.isEmployed(now);  
})  
) ...
```

... allMatch((Person p) -> $p.isEmployed(now)$) ...

... allMatch(~~(Person~~ p) -> p.isEmployed(now)) ...

... allMatch($p \rightarrow p.isEmployed(now)$) ...

```
final int now = ... ;
```

```
... allMatch(p -> p.isEmployed(now)) ...
```

```
int now = ... ;
```

```
... allMatch(p -> p.isEmployed(now)) ...
```

```
int now = ... ;
```

```
... allMatch(p -> p.isEmployed(now)) ...
```

```
now = ... ; // No! (Muss effective final sein)
```

	<code>.forAll(Consumer<T>)</code>	<code>void</code>
	<code>.allMatch(Predicate<T>)</code>	<code>boolean</code>
	<code>.count()</code>	<code>long</code>
	<code>.max(Comparator<T>)</code>	<code>Optional<T></code>
<code>c.stream()</code>	<code>.map(Function<T, R>)</code>	<code>Stream<R></code>
	<code>.filter(Predicate<T>)</code>	<code>Stream<T></code>
	<code>.limit(long)</code>	<code>Stream<T></code>
	<code>.reduce(BinaryOperator<T>)</code>	<code>Optional<T></code>
	<code>.collect(Collector<T,A,R>)</code>	<code>R</code>

Eigentlich:

Fertig!

Siehe auch: `java.util`, `java.util.stream` (und `java.util.function`)

Spaß mit:

Poker

▼ Royal Flush



▼ Straight Flush



▼ Four of a Kind



▼ Full House



▼ Flush



▼ Straight



▼ Three of a Kind



▼ Two Pair



▼ One Pair



▼ No Pair / High Card

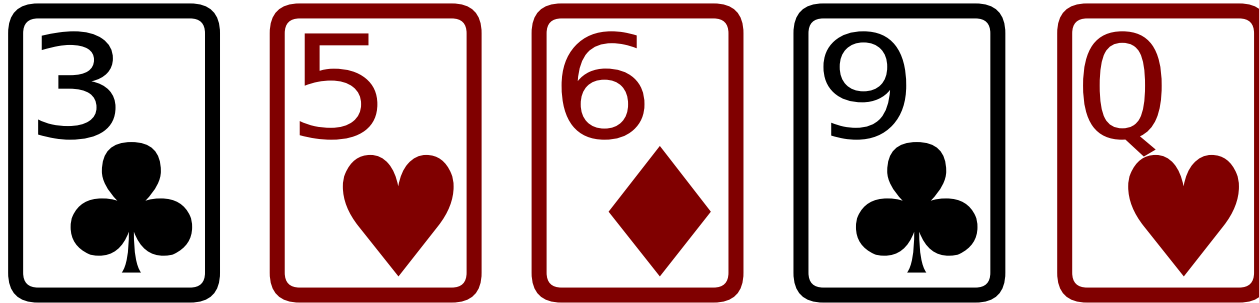


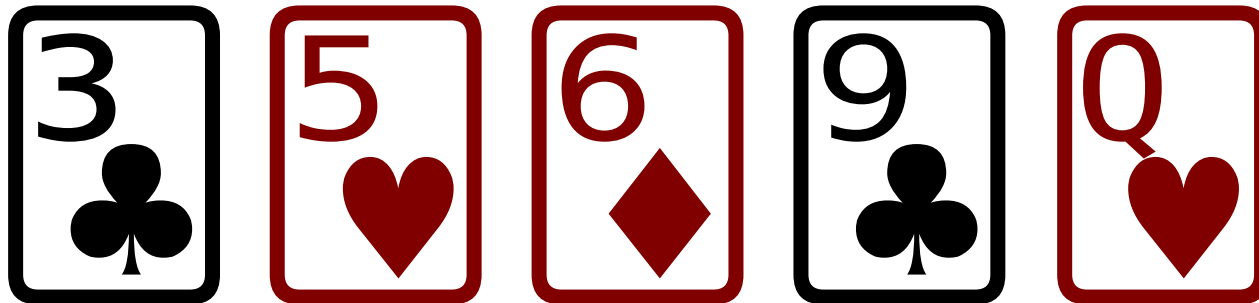

```
... c.stream().collect(
    Collectors.groupingBy(
        Employee::getDepartment    // Employee -> Key
    )
) ...
```

```
R container = collector.supplier().get();
```

```
for (T element : data) {
    collector.accumulator().accept(container, element);
}
```

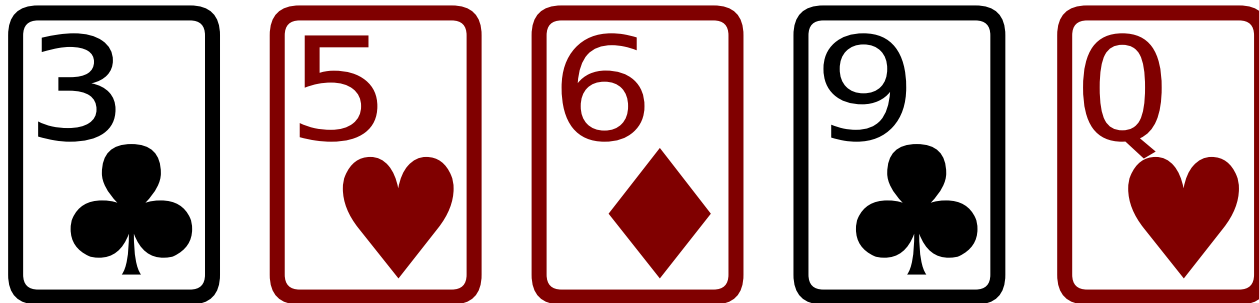
```
return collector.finisher().apply(container);
```





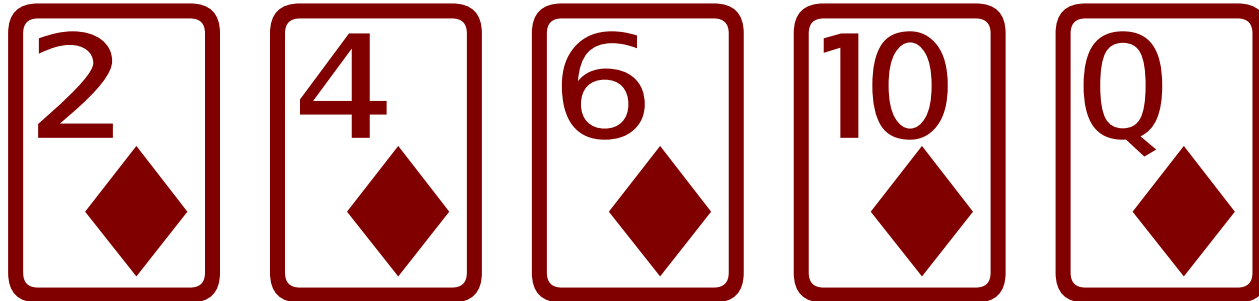
$\text{differentRank} := (\text{hand} : \text{Hand}) \mapsto$

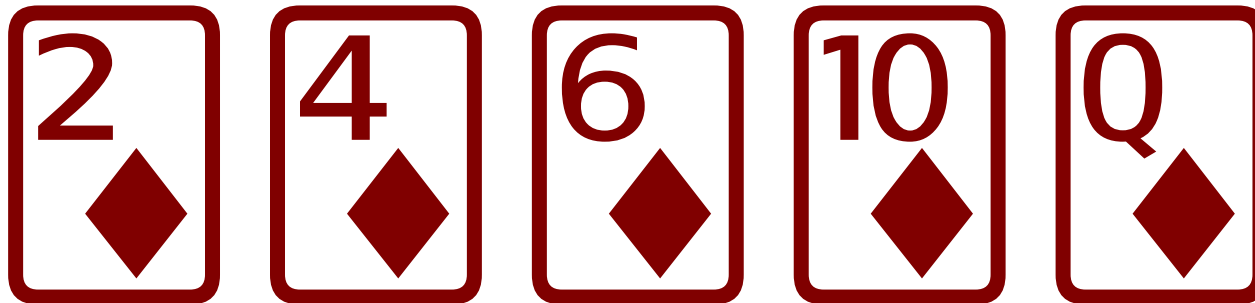
$\forall (\text{card} \in \text{hand}) \nexists (c \in \text{hand}) (\text{card.rank} = c.\text{rank})$



$\text{differentRank} := (\text{hand} : \text{Hand}) \mapsto$

$\forall (\text{card} \in \text{hand}) \nexists (c \in \text{hand}, c \neq \text{card}) (\text{card.rank} = c.\text{rank})$





$\text{sameColor} := (\text{hand} : \text{Hand}) \mapsto$

$\forall(\text{card} \in \text{hand}) \forall(c \in \text{hand}) (\text{card.suit} = c.\text{suit})$

`c.stream().forEach(U::f) // $x \rightarrow U.f(x)$`

```
for (int  $i = 0$ ;  $i < n$ ;  $i++$ ) {  
     $f(c.get(i))$ ;  
}
```

```
c.stream().forEach(  
    x -> c'.stream().forEach(y -> f(x, y))  
)
```

```
for (int i = 0; i < nx; i++) {  
    for (int j = 0; j < ny; j++) {  
        f(c.get(i), c'.get(j));  
    }  
}
```



```
c.stream().forEach(  
    x -> c'.stream().forEach(  
        y -> c''.stream().forEach(z -> f(x, y, z))
```

```
)  
)
```

```
for (int i = 0; i < nx; i++) {  
    for (int j = 0; j < ny; j++) {  
        for (int k = 0; k < nz; k++) {  
            f(c.get(i), c'.get(j), c''.get(k));  
        }  
    }  
}
```

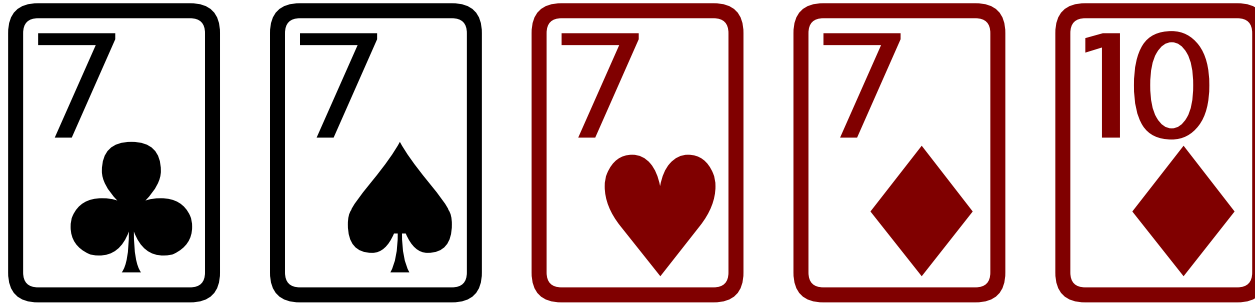
- ▼ $O(1)$ konstant/beschränkt
- ▼ $O(\log n)$ logarithmisch
- ▼ $O(\sqrt{n})$ „wurzelig“
- ▼ $O(n)$ linear
- ▼ $O(n \log n)$ superlinear
- ▼ $O(n^2)$ quadratisch
- ▼ $O(n^3)$ kubisch
- ▼ $O(n^k)$ polynomiell
- ▼ $O(2^n)$ exponentiell
- ▼ $O(n!)$ faktoriell

n	1	10	100	1000
▼ $O(1)$	1 s	1 s	1 s	1 s
▼ $O(\log n)$	1 s	2 s	3 s	4 s
▼ $O(n)$	1 s	10 s	100 s	1000 s
▼ $O(n \log n)$	1 s	20 s	300 s	4000 s
▼ $O(n^2)$	1 s	100 s	2,8 h	277,8 h
▼ $O(n^3)$	1 s	1000 s	277,8 h	31 a
▼ $O(2^n)$	1 s	1024 s	10^{22} a	

n	1	10	100	1000
▼ $O(1)$	1 ns	1 ns	1 ns	1 ns
▼ $O(\log n)$	1 ns	2 ns	3 ns	4 ns
▼ $O(n)$	1 ns	10 ns	100 ns	1 μ s
▼ $O(n \log n)$	1 ns	20 ns	300 ns	4 μ s
▼ $O(n^2)$	1 ns	100 ns	10 μ s	1 ms
▼ $O(n^3)$	1 ns	1 μ s	1 ms	1 s
▼ $O(2^n)$	1 ns	\sim 1 μ s	$\sim 10^{13}$ a	

Komplexität	1 ns	1 s
▼ $O(1)$	1	∞
▼ $O(\log n)$	1	$10^{1\,000\,000\,000}$
▼ $O(n)$	1	10^9
▼ $O(n^2)$	1	31 623
▼ $O(n^3)$	1	1000
▼ $O(2^n)$	1	30

Komplexität	zweifach	zehnfach
▼ $O(1)$	∞	∞
▼ $O(\log n)$	$10 \cdot n$	$10^9 \cdot n$
▼ $O(n)$	$2 \cdot n$	$10 \cdot n$
▼ $O(n^2)$	$1,41 \cdot n$	$3,16 \cdot n$
▼ $O(n^3)$	$1,26 \cdot n$	$2,15 \cdot n$
▼ $O(2^n)$	$n + 1$	$n + 3,3$





▼ $\text{fourOfSameRank} := (\text{hand} : \text{Hand}) \mapsto$

$\exists(\text{set} \in \wp_4(\text{hand}) \textbf{ where } \text{card} := \text{arb}(\text{set}))$

$\forall(c \in \text{set}, c \neq \text{card}) (c.\text{rank} = \text{card}.\text{rank})$

Gibt es denn wirklich noch irgendwelche

Fragen?

Na dann:

Vielen Dank!